## Data-Parallel Computing Meets STRIPS

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## Motivation

- Declarative query processing and user defined functions do not play well together
- User must specify some base execution plan
- Which optimizations are safe?


## DPPS

- Framework is based on tracking data chunks
- Each data chunk $d$ is associated with the amount $\sigma_{d}$ of memory it requires

A DPPS Task is described by:

- $D$ - possible data chunks, with sizes $\sigma_{d}$
- $N$ - computing units, with memory $\kappa_{n}$
- A - computation primitives, each described by:
$\bullet I \subseteq D$ - required input
- $\bar{O} \subseteq D$ - produced output
- $C: N \rightarrow \mathbb{R}^{0+}$ - computation cost
- $T: N \times D \times N \rightarrow \mathbb{R}^{0+}$ - data transmission cost - $s_{0}$ — the initial state of the computation
- $G$ - the goal of the computation
- A DPPS state specifies which processor holds which data chunks
- A solution is a sequence of compute / transmit / delete data actions which achieves the goal from the initial state
- The possible data chunks $D$ and computations $A$ may be given explicitly or described implicitly - If they are described implicitly the sets could be infinite


## Theoretical Properties

## Expressivity:

$\odot$ DPPS is at least as expressive as relational algebra with aggregation

## Complexity:

© Optimal data-parallel program synthesis is NP-hard, even under severe restrictions
© Satisficing data-parallel program synthesis is NP-hard
© Satisficing data-parallel program synthesis with no memory constraints can be solved in polynomial time, when the possible data chunks are given explicitly.

## Example: Multi Histogram

- Suppose we have a users table T with $10^{9}$ users - We want two histograms of T : by age and by relationship status

In SQL or similar:
SELECT COUNT(T.age) FROM T;
SELECT COUNT(T.rls) FROM T;
Query Execution Plan:
Agg(age, scan(T))
Agg(rls, scan(T))

- Suppose we have a user-defined function, DAgg which aggregates by two fields simultaneously

Query Execution Plan using DAgg
DAgg(age, rls, scan(T))

- How do we come up with this execution plan?


## Compilation to STRIPS

- When computations/data chunks explicit
- Predicate holds (?node, ?data)
- Actions
- compute(?node, ?computation)
-transmit(?node, ?data, ?node2)
- del(?node, ?data)
- Capacity constraints = numerical fluents
- When the computations/data chunks implicit, compilation is still possible sometimes
- When data chunks have a structure (e.g., expression trees), it is possible to represent such trees using predicates

| Expression Tree | Encoding |
| :--- | :--- |
| select $\left(n_{1}, \quad p, n_{2}\right)$ |  |
| join $\left(n_{2}, e_{1}, e_{2}\right)$ |  |

- Equivalence rules typically have limited depth and can be encoded as operators
- More details in the paper


## Empirical Proof of Concept

- Histogram of $F$ fields of a table divided across $N$ processors

Query Execution Plan without Dagg
$\operatorname{Agg}\left(n_{1}, f_{1}, \quad \sigma_{\text {hash }(P K)=1}(T)\right)$
$\operatorname{Agg}\left(n_{1}, f_{2}, \quad \sigma_{\text {hash }(P K)=1}(T)\right)$
$\operatorname{Agg}\left(n_{2}, f_{1}, \sigma_{\text {hash }(P K)=2}(T)\right)$ $\begin{array}{lll}\operatorname{Agg}\left(n_{2},\right. & f_{2}, & \sigma_{\text {hash }(P K)=2}(T) \\ \operatorname{Agg}\left(n_{3},\right. & f_{1}, & \left.\sigma_{\text {hash }(P K)=3}(T)\right)\end{array}$ Agg $\left(n_{3}, f_{2}, \sigma_{\text {hash }}(P K)=3(T)\right)$
$\operatorname{Agg}\left(n_{4}, f_{1}, \quad \sigma_{\text {hash }}(P K)=4(T)\right)$
$\operatorname{Agg}\left(n_{4}, f_{2}, \sigma_{\text {hash }}(P K)=4(T)\right)$
transmit ( $\left.n_{2}, \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }}(P K)=2(T)\right), n_{1}\right)$ transmit $\left(n_{3}, \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }}(P K)=3(T)\right), n_{1}\right)$ transmit $\left(n_{4}, \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }}(P K)=4(T)\right), n_{1}\right)$ merge ( $n_{1}, f_{1}$ )
transmit $\left(n_{1}, \operatorname{CNT}\left(f_{2}, \sigma_{\text {hash }(P K)=1}(T)\right), n_{2}\right)$ ransmit ( $\left.n_{3}, \operatorname{CNT}\left(f_{2}, \sigma_{\text {hash }}(P K)=3(T)\right), n_{2}\right)$ $\operatorname{NT}\left(f_{2}, \sigma_{\text {hash }}(P K)=4(T)\right), n_{2}$ merge ( $n_{2}, f_{2}$ )

Query Execution Plan using Dagg $\begin{array}{lll}\operatorname{DAgg}\left(n_{1},\right. & f_{1}, & f_{2}, \\ \sigma_{\text {hash }}(P K)=1 \\ \text { DAgg }\left(n_{2},\right. & f_{1}, & f_{2}, \\ \sigma_{\text {hash }}(P K)=2(T)\end{array}$ DAgg $\left(n_{3}, f_{1}, f_{2}, \quad \sigma_{\text {hash }}(P K)=3(T)\right.$ transmit $\left(n_{2}, \quad \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }}(P K)=2(T)\right), n_{1}\right)$ transmit $\left(n_{3}, \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }}(P K)=3(T)\right), n_{1}\right)$ transmit $\left(n_{4}, \operatorname{CNT}\left(f_{1}, \sigma_{\text {hash }(P K)=4}(T)\right), n_{1}\right)$ merge ( $n_{1}, f_{1}$ )
transmit $\left(n_{1}, \operatorname{CNT}\left(f_{2}, \sigma_{\text {hash }}(P K)=1(T)\right), n_{2}\right)$ transmit $\left(n_{3}, \operatorname{CNT}\left(f_{2}, \sigma_{\text {hash }}(P K)=3(T)\right), n_{2}\right)$ transmit ( $\left.n_{4}, \operatorname{CNT}\left(f_{2}, \sigma_{\text {hash }}(P K)=4(T)\right), n_{2}\right)$ merge ( $n_{2}, f_{2}$ )

- Solved by GBFS using relaxed plan heuristic in Fast Downward
- Table below shows planning time for different values of $F$ and $N$

- Solutions were optimal (although this is not guaranteed)


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